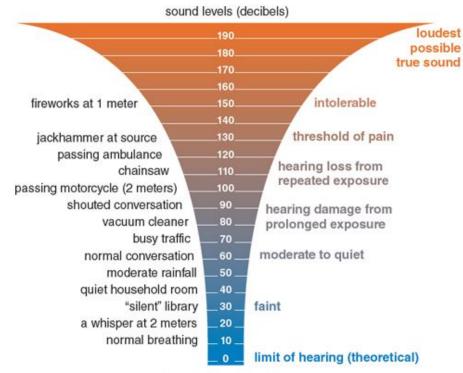
Physics 1240: Sound and Music

Today (7/15/19): Harmonics, Decibels

Next time: Psychoacoustics: The Ear



threshold of hearing

<u>Review</u>

- Sound: a mechanical disturbance of the **pressure** in a **medium** that travels in the form of a **longitudinal wave**.
- Simple harmonic motion: frequency increases when stiffness increases and increases when mass decreases
- Sound propagation: reflection, absorption, refraction, diffraction
 - Doppler effect, sonic booms, factors affecting speed of sound (temperature, composition of medium, weather)
- Overlapping sounds: 2-source interference, beats



If you are in a room with two speakers each producing sine waves with a wavelength of 2 meters, where should you stand if you don't want to hear any sound?

A) 2 meters from one speaker and 2 meters from the other
B) 2 meters from one speaker and 4 meters from the other
C) 2 meters from one speaker and 3 meters from the other
D) 3 meters from one speaker and 5 meters from the other
E) 1 meter from one speaker and 0.5 meters from the other

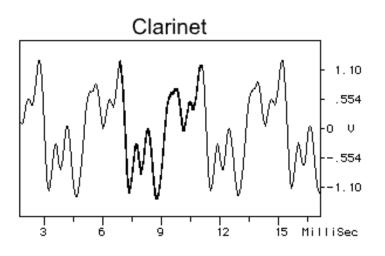


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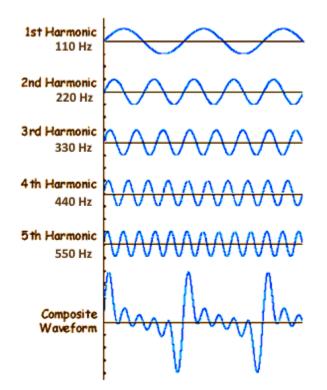
<u>Review</u>

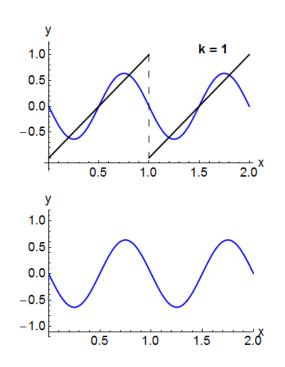
- <u>Characteristics of Sound</u>: What do we need to completely describe a single, steady tone?
 - Frequency ↔ pitch
 - Amplitude \leftrightarrow loudness
 - Duration ↔ note length
 - Waveform ↔ timbre



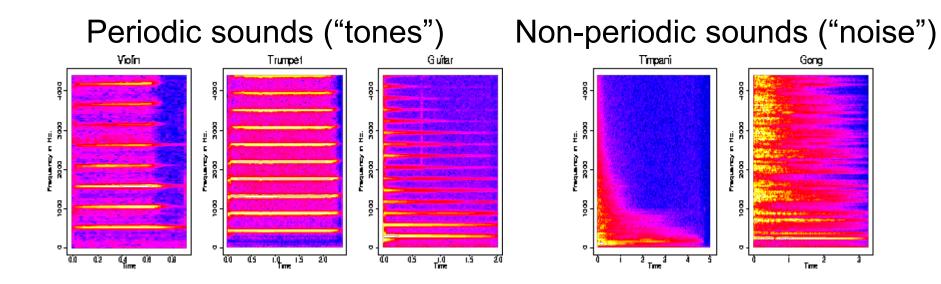
Characteristics of Sound

- <u>Waveform</u>: the shape that forms the repeating pattern of a wave
- Fourier's Theorem: every periodic sound can be written as the sum of sine waves with integer multiples of frequency



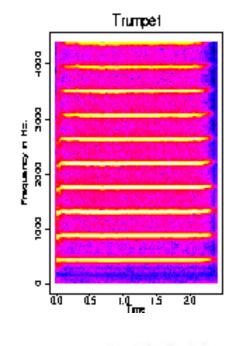


- Fourier's Theorem: every periodic sound can be written as the sum of sine waves with integer multiples of frequency
- <u>Timbre</u>: the relative amplitudes of each of the sine waves that combine to form a sound

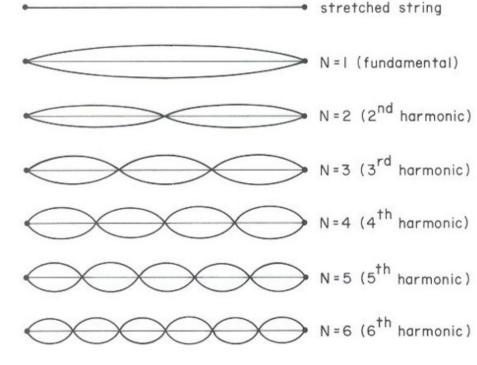


Harmonic Series

- <u>Fundamental</u> (f_0) : lowest frequency in the harmonic series
- <u>Harmonics</u>: set of frequencies f_0 , $2f_0$, $3f_0$, $4f_0$, $5f_0$, ...

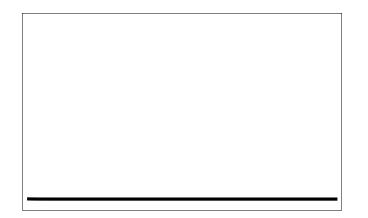


Phet simulation: Fourier: Making Waves

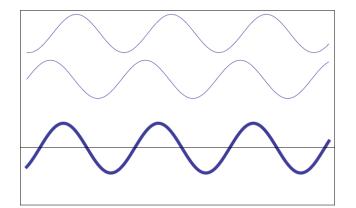


Dan Russell's animations

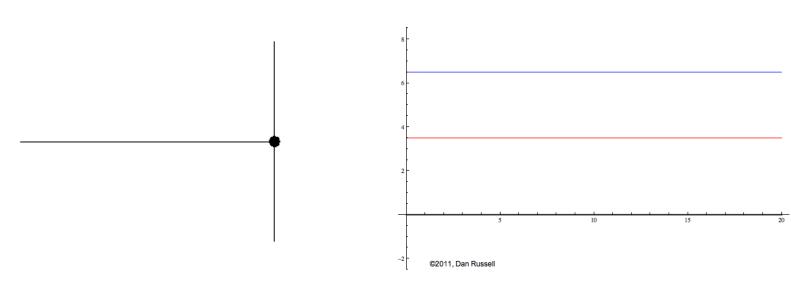
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Combine wave pulses by adding amplitudes



Constructive / destructive interference

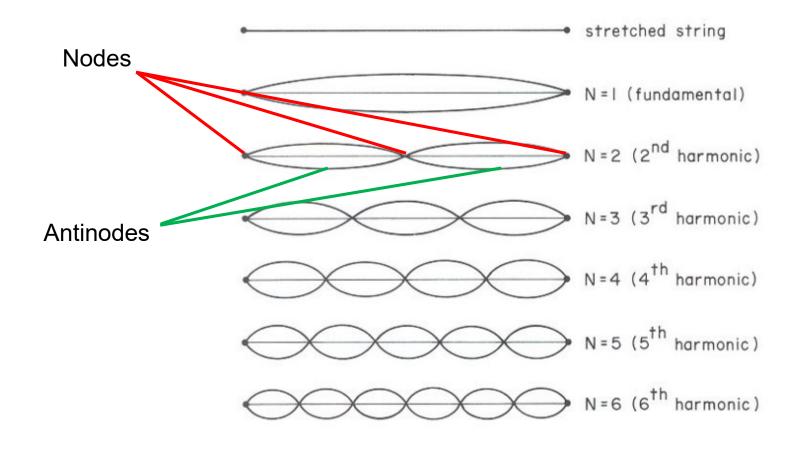


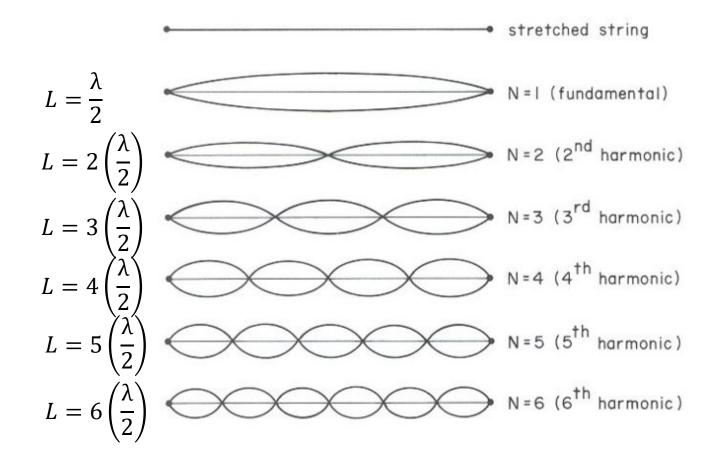
Reflection of wave pulse from hard boundary

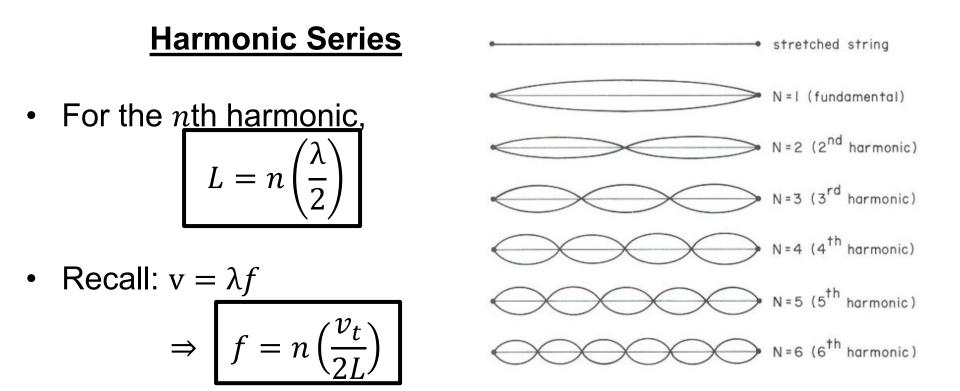
Two waves travelling in opposite directions

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Overlapping waves from reflection off hard boundary



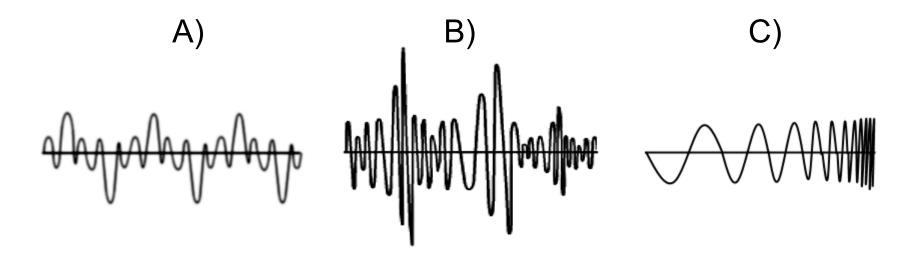




Demo: Standing Waves on a String

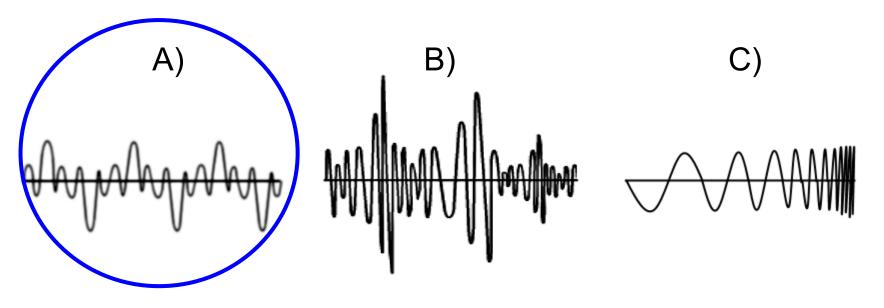


Which of the following waves can be broken down into sine waves with frequencies that are part of the harmonic series?





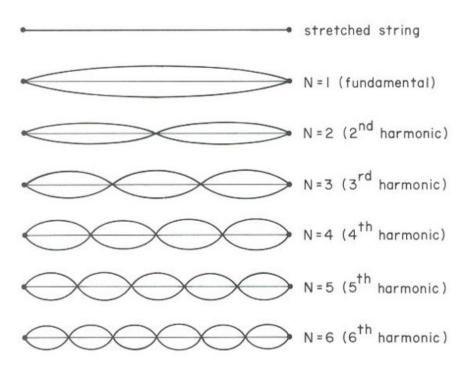
Which of the following waves can be broken down into sine waves with frequencies that are part of the harmonic series?



Only (A) has a harmonic series representation, since it's periodic



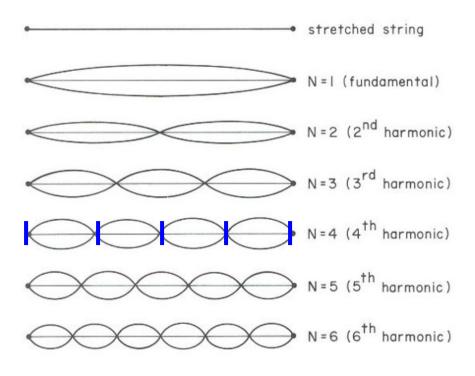
How many nodes are present in the fourth harmonic of a standing wave on a string?



A) 2
B) 3
C) 4
D) 5
E) 6



How many nodes are present in the fourth harmonic of a standing wave on a string?



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If the fundamental frequency of a clarinet note is 200 Hz, what is the frequency of the third harmonic?

- A) 200 Hz
- B) 300 Hz
- C) 400 Hz
- D) 600 Hz
- E) None of the above

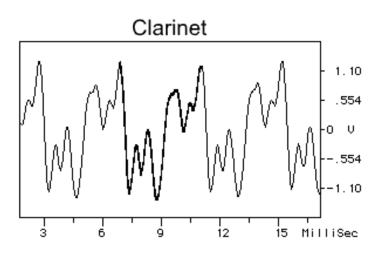


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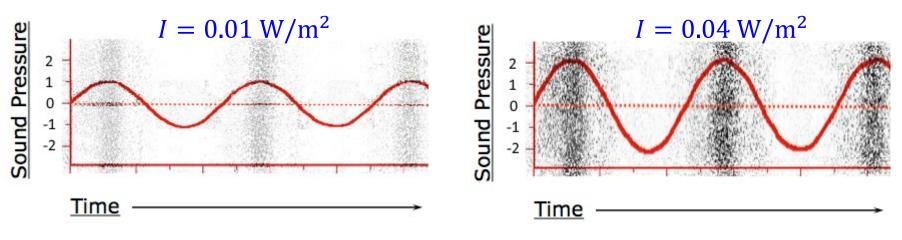
5 minute break

- <u>Characteristics of Sound</u>: What do we need to completely describe a single, steady tone?
 - Frequency ↔ pitch
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<u>Intensity</u>

- The loudness of a sound isn't directly related to the air's pressure; instead, what matters is the wave's *intensity*
- <u>Intensity</u>: amount of energy flow hitting a certain area [W/m²]
- Intensity is proportional to the square of the pressure amplitude $(I \propto p^2)$



Two sound waves X & Y are measured to have intensities of 1 W/m² and 9 W/m², respectively. How do their pressure amplitudes compare?

A) X's amplitude is the same as Y's amplitude
B) X's amplitude is 3 times larger than Y's amplitude
C) X's amplitude is 9 times larger than Y's amplitude
D) Y's amplitude is 3 times larger than X's amplitude
E) Y's amplitude is 9 times larger than X's amplitude

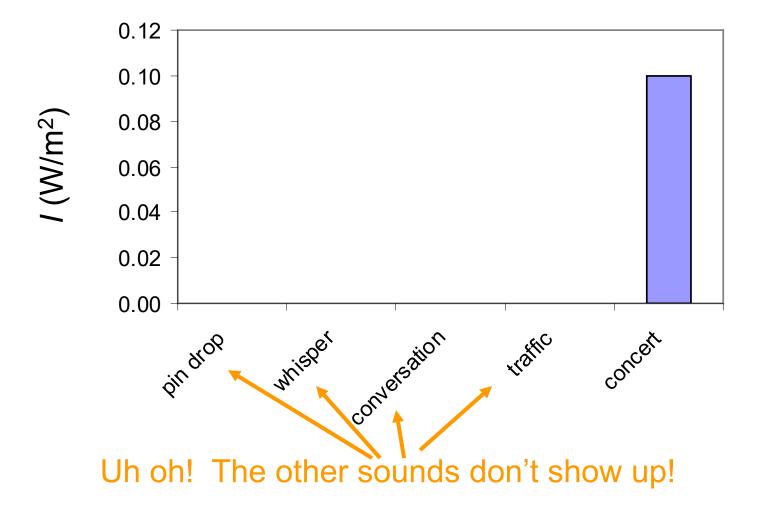
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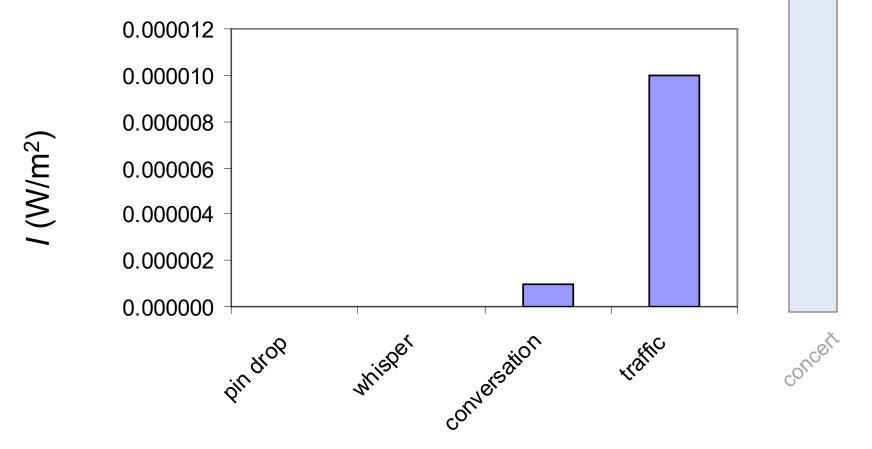
Common Sound Sources

Sound	Amplitude (N/m ²)	Intensity (W/m ²)
pin drop	0.000091	1.0 x 10 ⁻¹¹
whisper	0.00029	1.0 x 10 ⁻¹⁰
conversation	0.029	1.0 x 10 ⁻⁶
traffic	0.091	1.0 x 10 ⁻⁵
jet engine	9.1	1.0 x 10 ⁻¹

Range of Intensities

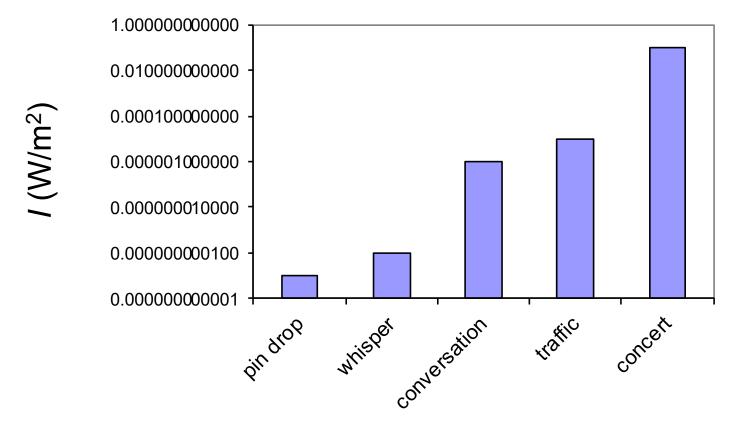


Zoom in a little at the low end

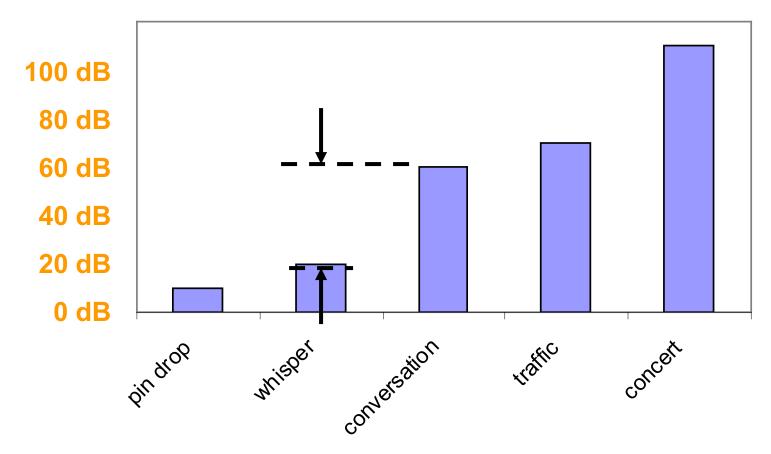


Doesn't help much!

Intensity with a logarithmic Scale



decibels (dB)



A 40 dB increase in sound level corresponds to a 10,000-fold increase in intensity

A <u>40 dB increase</u> in sound level corresponds to a <u>10,000-fold increase</u> in intensity.

Let's start more simply:

A 10 dB increase in level is a 10-fold increase in intensity

A 20 dB increase in level is two increases of 10 dB

So, the intensity increase is $10 \times 10 = 100$

30 dB 40 dB 1,000 (10 x 10 x 10) 10,000 (10 x 10 x 10 x 10)

Decibel scale

- <u>Sound Intensity Level (SIL)</u>: logarithmic intensity scale; measured in decibels [dB]
- Threshold of hearing: $I_0 = 10^{-12} \text{ W/m}^2$ (corresponds to 0 dB)

$$SIL [dB] = 10 \log_{10} \left(\frac{I}{I_0} \right)$$

1 bel [B] =
$$\log\left(\frac{I}{I_0}\right)$$

Review of logarithms:

- $y = \log_{10}(x) \quad \leftrightarrow \quad x = 10^y$
- $\log(1) = \log(10^{\circ}) = 0$
- $\log(10) = \log(10^{1}) = 1$
- $\log(100) = \log(10^2) = 2$
- $\log(1000) = \log(10^3) = 3$



A trombone can make a sound intensity of 10^{-4} W/m² as measured near the bell. What is the *SIL* in dBs?

- A) 40 dB
- B) 400 dB
- C) 10,000 dB
- D) 100 dB
- E) None of the above



A trombone can make a sound intensity of 10^{-4} W/m² as measured near the bell. What is the *SIL* in dBs?

A) 40 dB B) 400 dB C) 10,000 dB D) 100 dB E) None of the above $SIL = 10 \log \left(\frac{10^{-4}}{10^{-12}}\right) = 10 \log(10^8)$ $= 10 \times 8 = 80 \text{ dB}$

Intensities add to combine

• When two sounds with intensities I_1 and I_2 are played together,

intensity of combined sound = $I_1 + I_2$

• SILs [dB] do NOT add to combine, since they are on a logarithmic scale!



The drummer in our band is out of control! His intensity is 0.01 W/m² while the rest of us have a combined intensity of 0.0001 W/m². How much higher is his sound intensity level (SIL)?

A) 0.099 dB
B) 10 dB
C) 20 dB
D) 30 dB
E) 110 dB



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A) 0.099 dB B) 10 dB C) <u>20 dB</u> D) 30 dB E) 110 dB $\Delta SIL = 10 \log \left(\frac{l_2}{l_1}\right) = 10 \log(10^2) = 20 \text{ dB}$



How many dBs does the SIL increase when two trumpets play together, assuming they each individually have the same intensity?

A) 2 dB
B) 3 dB
C) 4 dB
D) 5 dB
E) 6 dB



How many dBs does the SIL increase when two trumpets play together, assuming they each individually have the same intensity?

A) 2 dB
B)
$$3 dB$$

C) 4 dB
D) 5 dB
E) 6 dB
ASIL = $10 \log \left(\frac{2I_{tpt}}{I_{tpt}}\right) = 10 \log(2) \approx 3.01 dB$

<u>Useful tips</u>		Intensity (W/m ²)	SIL (dB)	Example_
•	Doubling the intensity	10 ⁻¹²	0 dB	Inaudible
	means adding 3 dB to the <i>SIL</i>	10 ⁻¹¹	10 dB	Pin drop
 Halvir 	Halving the intensity	10 ⁻¹⁰	20 dB	Recording studio
	means subtracting 3 dB	10 ⁻⁹	30 dB	Studio
	from the SIL	10 ⁻⁸	40 dB	Library
•	Multiplying the intensity by 10 means adding 10 dB to the <i>SIL</i>	10 ⁻⁷	50 dB	City of Boulder nighttime noise ordinance
•	Doubling the distance	10 ⁻⁶	60 dB	Conversation
-	away from a source	10 ⁻⁵	70 dB	
	means subtracting 6 dB from the <i>SIL</i>	10-4	80 dB	Vacuum cleaner
		10 ⁻³	90 dB	Subway Train